

NAMIBIA UNIVERSITY OF SCIENCE AND TECHNOLOGY FACULTY OF ENGINEERING AND THE BUILT ENVIRONMENT

DEPARTMENT OF LAND AND SPATIAL SCIENCES

QUALIFICATIONS:		
BACHELOR OF GEOMATICS		
QUALIFICATIONS CODES:	QUALIFICATION LEVEL:	
07BGEO	Level 7 - 07BGEO	
COURSE CODE: ODC721S	COURSE NAME: Geodesy	
DATE: January 2024	PAPER: THEORY	
DURATION: 3 HOURS	MARKS: 100	

SECOND OPPORTUNITY \ SUPPLEMENTARY EXAMINATION QUESTION PAPER				
EXAMINER:	Mr J.C. Lewis			
MODERATOR:	Dr K. Owolabi			

INSTRUCTIONS

- 1. Answer all question.
- 2. Write clearly and neatly.
- 3. Number the answers clearly.
- 4. Make sure your Student Number is on the EXAMINATION BOOK(s).

PERMISSIBLE MATERIAL

Calculator, ruler, pen

THIS QUESTION PAPER CONSISTS OF 3 PAGES (Including this front page)

- 1. Discuss the meaning and implications of Earth Tides, in the context of Geodesy. [10 marks]
- 2. Discuss the meaning and major implications of the Vernal Equinox. Use a sketch if necessary. [6 marks]

3.	Explain the difference between a sphere, spheroid, and ellipsoid.	[4 marks]
4.	Discuss the difference between a 'sidereal day' and a 'solar day'.	[5 marks]
5.	Discuss the classification of coordinate systems used in Geodesy.	[10 marks]

6. Discuss the height system and vertical datum commonly used in Namibia. Briefly mention the advantages and disadvantages of this system, compared to a more modern vertical datum.

[10 marks]

[10 marks]

- 7. Briefly discuss the RA coordinate System.
- 8. Briefly discuss the terms 'Geodetic Latitude', 'Astronomic Latitude,' and 'Deflection of the Vertical'. Use a sketch if necessary. [10 marks]
- 9. Explain how a national geodetic coordinate system is typically defined. How was this done for the Namibian National Geodetic Datum? [10 marks]
- Explain and discuss meridian convergence. Your discussion should include an explanation of true north, grid north, and geodetic azimuth, as well as a brief discussion of the use of and implications of meridian convergence in land surveying. [10 marks]
- 11. You have recorded the following observations from trig beacon *Daijobe*, to unknown Point A, using a gyro theodolite and EDM:
 - Geodetic azimuth: 190°15'23"

• Horizontal distance: 7300.00m (international metre)

Discuss and calculate the necessary corrections that must be applied to these observations, in order to calculate the Lo2217 coordinates of Point A.

Note: You must calculate the final distance and direction that will be used for the polar calculation, but you do not have to calculate the coordinates of Point A. [15 marks]

Coordinates: (System: Lo2217)			
Trig No. 29 (Daijobe):	Y+ 97 337.90	X+672 615.20	MSL Elevation: 252.8m
Approximate coordinates of Point A:	Y+98 600	X+679 800	MSL Elevation: 210m

FORMULAS:

Where:

$$t = T + (t - T)$$

$$(t-T) = \frac{\rho}{6r_1^2} (x_1 - x_2)(2y_1 + y_2) + \dots$$

and where

 ρ = 206265 (Correction factor from radians to the seconds)

 r_1 = Mean radius of curvature at Point 1

$$(t-T)_1 = \rho \cdot \frac{x_1 - x_2}{2R^2} \cdot y_m$$

(With ρ =206265, (t–T) will be in seconds)

 $r_1 = 6 371 000m$

$$\begin{split} \gamma &\approx \ell. \sin\phi + \frac{\ell^3}{3}. \sin\phi. \cos^2\phi. \left(1 + 3\eta^2\right) - \cdots \\ \ell &= \lambda_0 - \lambda \text{ (longitude difference, in radians);} \\ \eta^2 &= e'^2. \cos^2\phi; \end{split}$$

$$\tau = tan\phi$$

 $\lambda =$ longitude; $\lambda_0 =$ longitude of Central Meridian

 ϕ = latitude

$$e' = \sqrt{\frac{(a^2 - b^2)}{b^2}}$$
 ('Second Eccentricity' of the spheroid)

$$e = \sqrt{\frac{(a^2 - b^2)}{a^2}}$$
 ('First Eccentricity' of the spheroid)
a= semi-major axis; b= semi-minor access of reference spheroid

MSL Correction = D(H/R)

 $S = K + \frac{K^3}{24 \cdot R^2}$

Corr. = $S.Y^2/(2R^2)$ J = $S+S.Y^2/(2R^2) = S[(1+Y^2/(2R^2)]$